

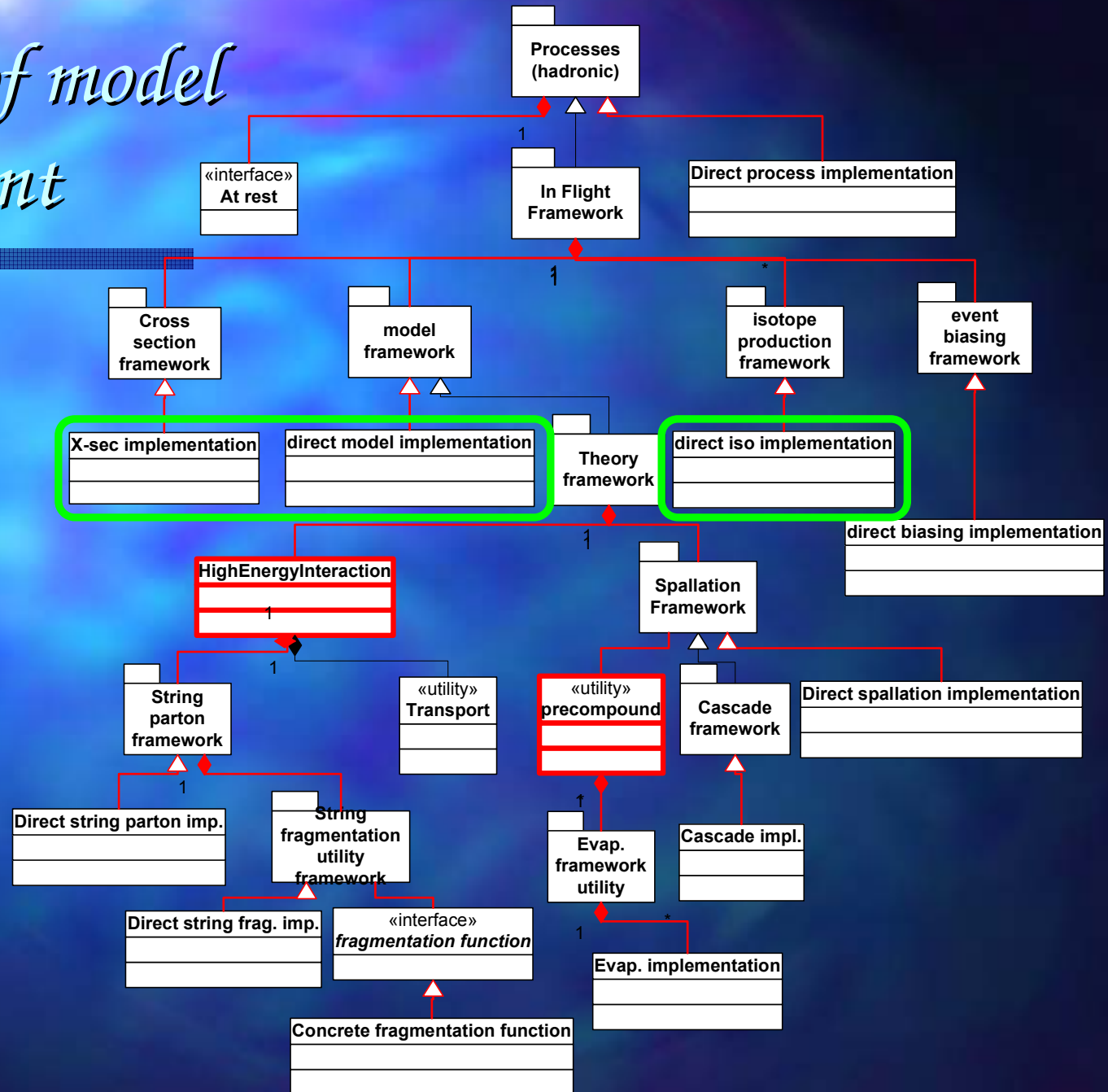


*The neutron<sub>hp</sub> neutron transport code.*

J.P. Wellisch  
CERN/PH

J.P. Wellisch,  
CERN/PH

# A sketch of model management



## *Models for neutron interaction and thermalization.*

- Neutron\_hp sampling codes for ENDF/B-VI derived data formats are completely generic.
- Simulate the cross-sections and interactions of neutrons with kinetic energies below 20 MeV down to thermal energies .
- The upper limit is set only by the evaluated data libraries the code is based on.
- I consider elastic scattering, fission, capture and inelastic scattering as separate models

# *The neutron\_hp transport models*

---

- neutron\_hp models and cross-sections:
  - Uses the unix file-system to ensure granular and transparent access/usage of data sets.
  - More than  $10^{11}$  events run.
  - Uses point-wise cross-sections
    - no artifacts due to multi-group structure.



# *Low energy neutron data:*

## *G4NDL0.2, 3.7*

- Are granular selections of data from (alphabetic)
  - Brond 2.1
  - CENDL 2.2
  - EFF-3
  - ENDF/B (VI.0, VI.1, VI.5)
  - ENSDF
  - FENDL/E2.0
  - JEF 2.2
  - JENDL (3.1, 3.2, FF; 3.3 currently under study)
  - MENDL-2(P)
- Large parts of the initial (0.2) selection is guided by the FENDL-2
- G4NDL0.2 for non-thermal application

# Example of data driven modeling: neutron capture, and isotope production

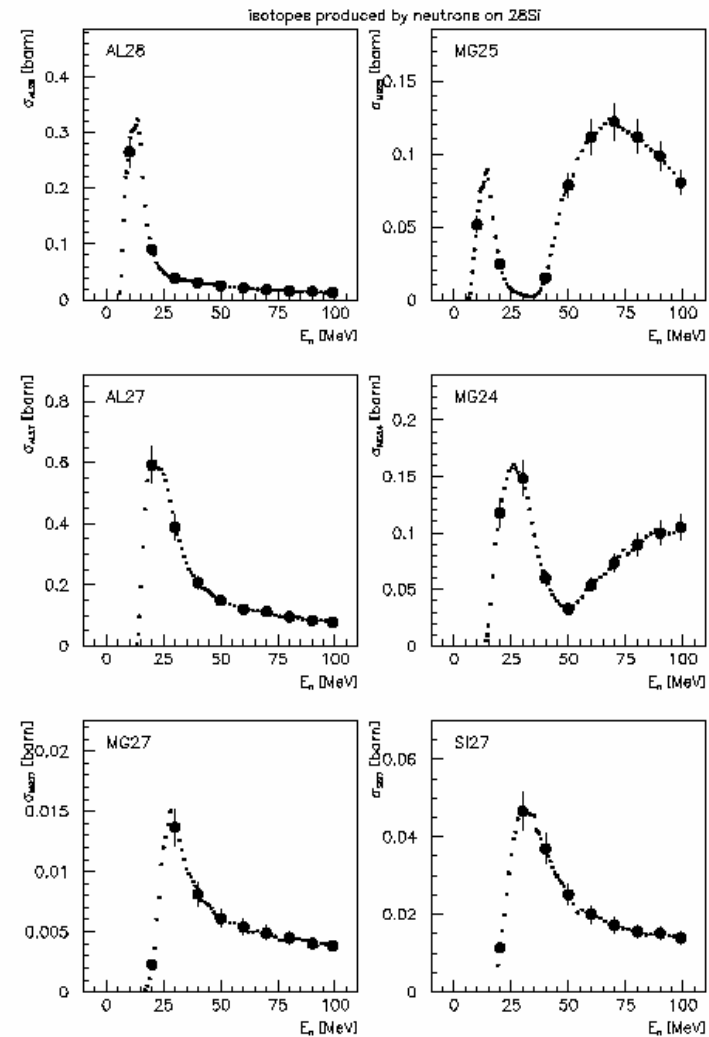
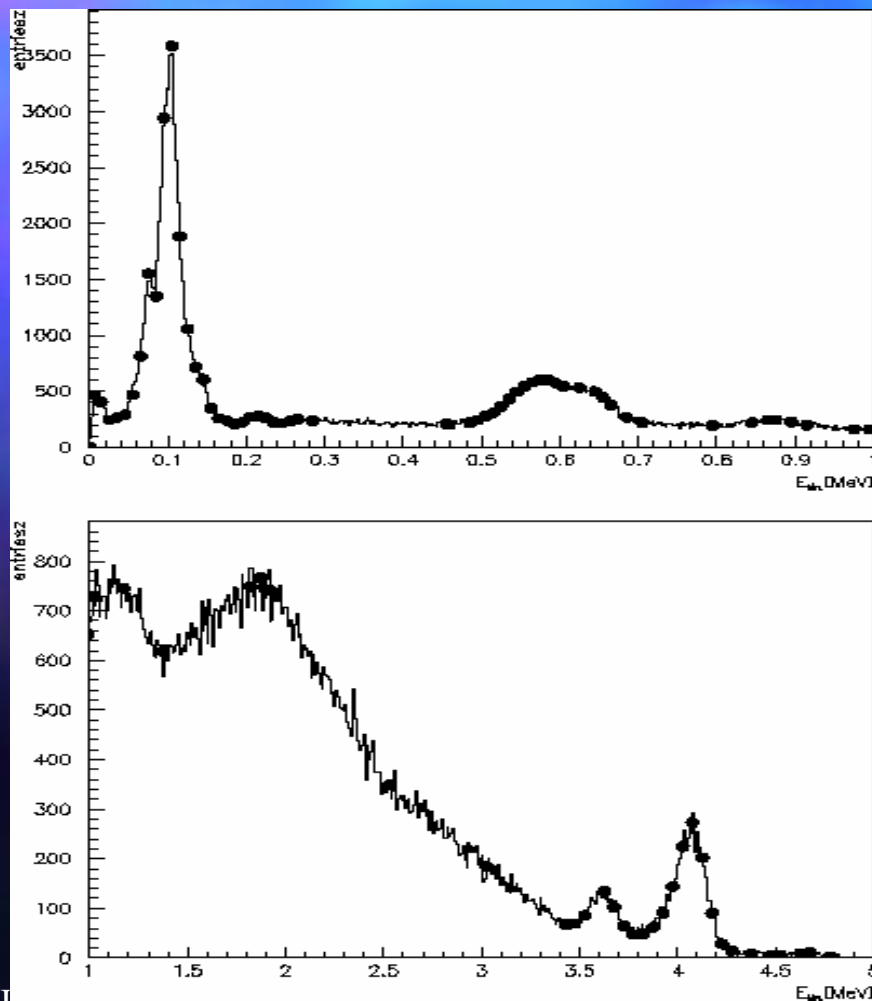
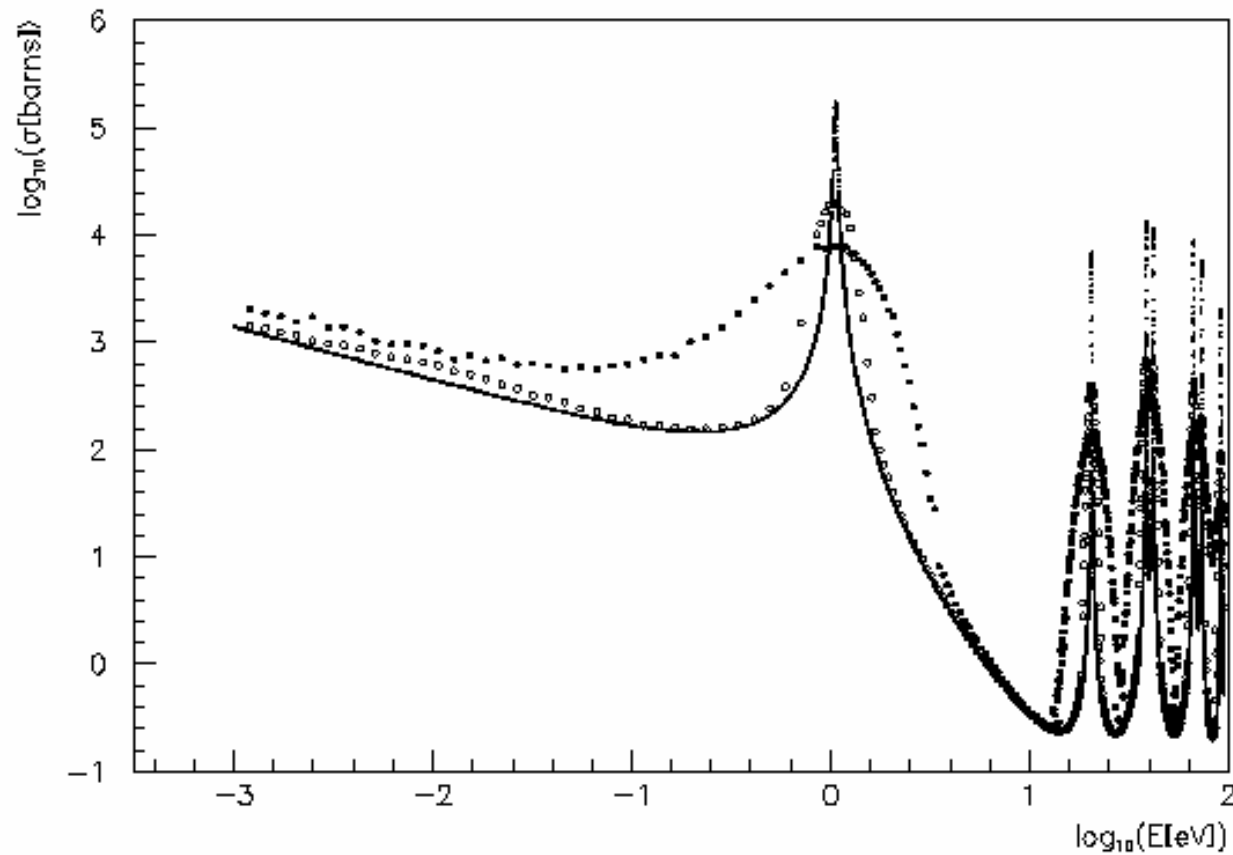


Figure 48: Isotope production cross-sections for neutron induced production of important isotopes as simulated using the isotope-production code in GEANT4. Large points are simulation results, small points are evaluated data from the MENDL2 data library.

# *Doppler broadening*

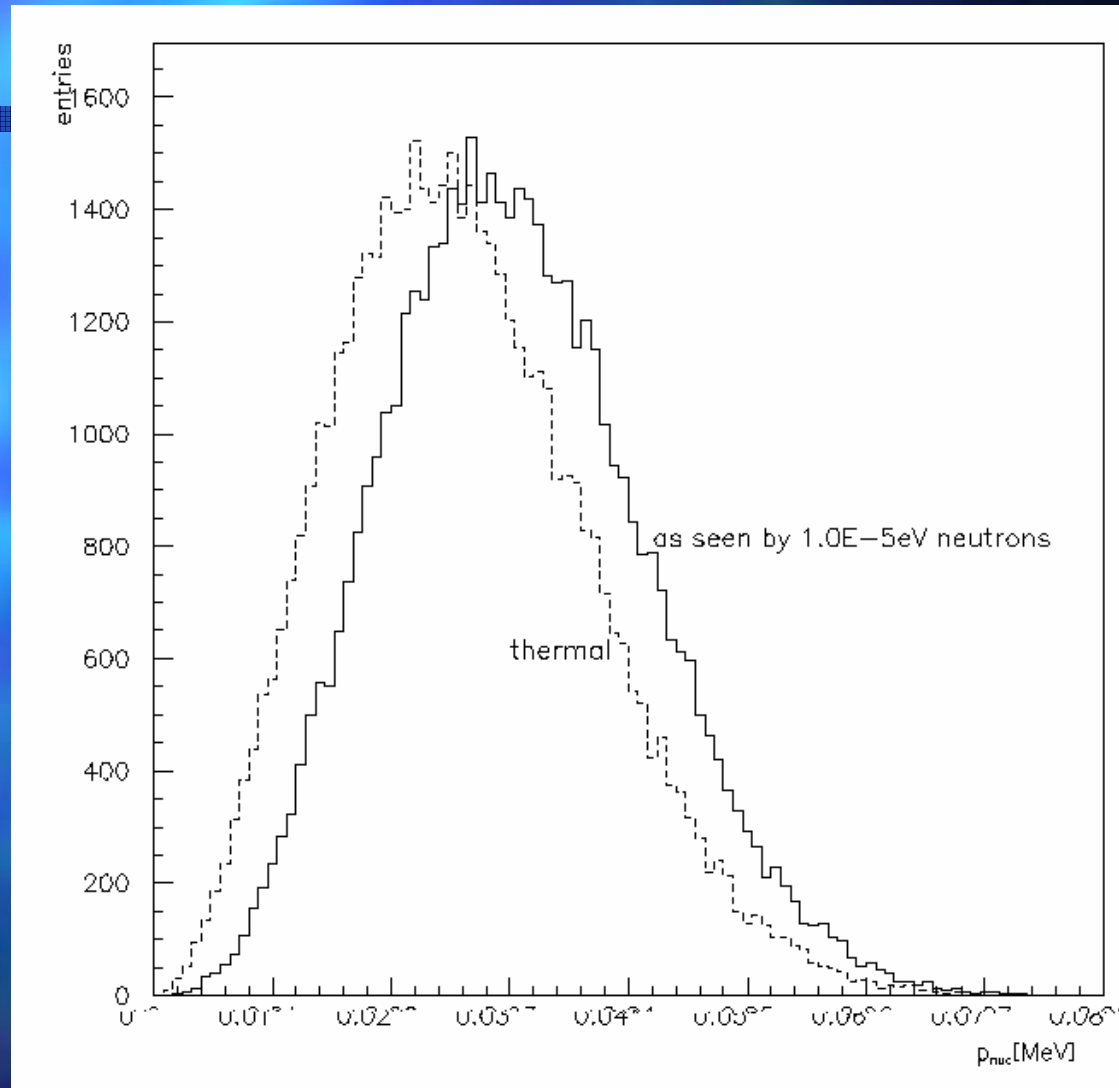
- Does exact doppler broadening on the fly, based on 0K data
  - No pre-formatting of data to fixed temperatures, and easy simulation of set-ups with mixed temperatures.
  - Adds the doppler bias to the nuclear momentum distribution
- Point one is to the best of my knowledge not possible with any other transport code.

# Doppler broadening





# The doppler bias illustrated for Carbon



# *Elastic scattering*

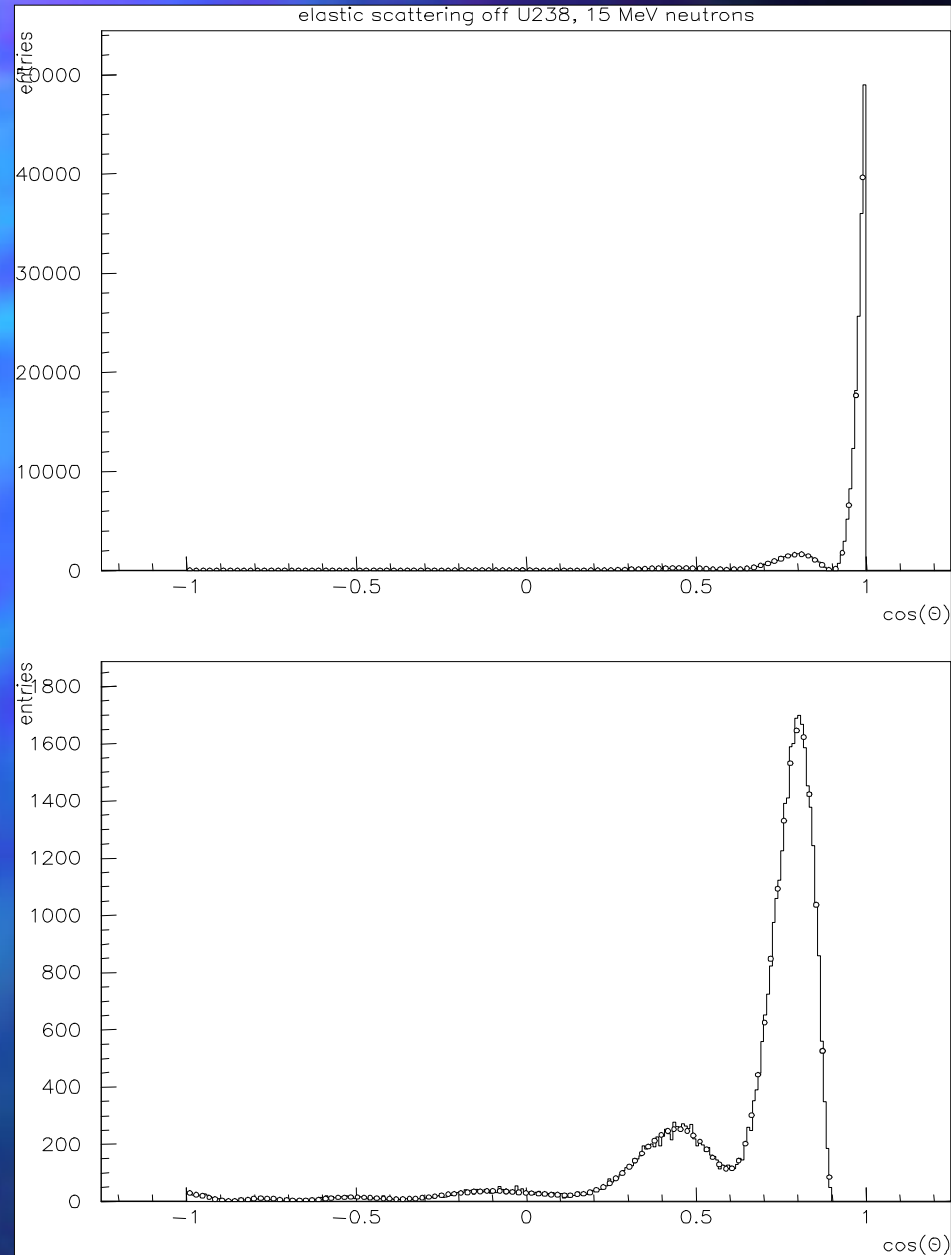
- Two representations of the differential cross section are supported
  - Tabulation as a function of the cosine of the scattering angle and incident neutron energy

$$\frac{d\sigma}{d\Omega} = \frac{d\sigma}{d\Omega}(\cos \theta, E_n)$$

- Legendre polynomial expansion

$$\frac{2\pi}{\sigma(E)} \frac{d\sigma}{d\Omega}(\cos \theta, E_n) = \sum_{l=0}^{n_l} \frac{2l+1}{2} a_l(E) P_l(\cos(\theta))$$

# Elastic scattering



# *Radiative Capture*

---

- Described using
  - Photon multiplicities or photon production cross sections.
  - Discrete and continuous contributions to the photon energy spectrum.
  - Photon angular distributions.

# Radiative Capture (2)

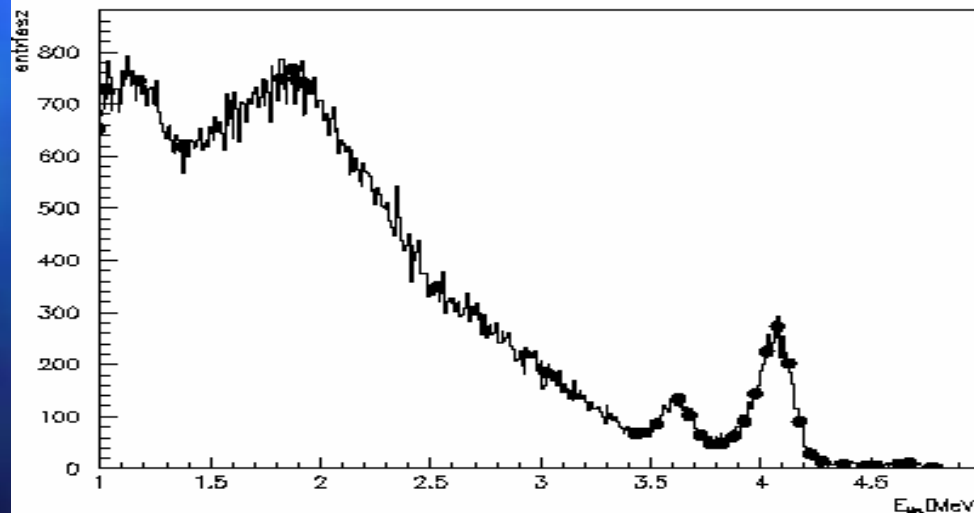
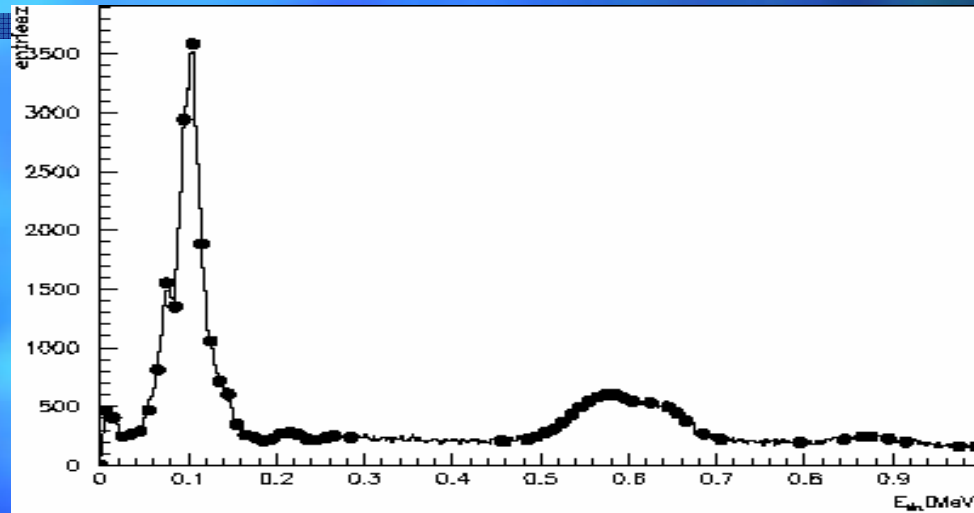
- Multiplicity representations
  - Full transition probability array.
  - Or tabulation of the multiplicity for each discrete line and a continuum contribution
    - For the continuum contribution, we write the normalized emission probability as:

$$f(E \rightarrow E') = \sum_i p_i(E) g_i(E \rightarrow E')$$

- Cross section representations
  - Tabulation only.



# *Low energy neutron capture*



# *Fission*

---

- I include first, second, third, and fourth chance fission.
  - Neutron yields are tabulated as a function of incident and outgoing neutron energies
  - Angular distributions are either tabulated, or represented as a Legendre polynomial expansion.
    - If angular distributions are missing, isotropic distributions are assumed.

## *Fission (2)*

- Six representations are available for neutron energy spectra

- General evaporation spectrum

$$f(E \rightarrow E') = f(E', \Theta(E))$$

- Maxwell spectrum

$$f(E \rightarrow E') \propto \sqrt{E'} e^{E'/\Theta(E)}$$

- Evaporation spectrum

$$f(E \rightarrow E') \propto E' e^{E'/\Theta(E)}$$

- Watt spectrum

$$f(E \rightarrow E') \propto e^{E'/a(E)} \sinh \sqrt{b(E)E'}$$

# Fission (3)

- Madland Nix Spectrum

$$f(E \rightarrow E') \propto \frac{1}{2} [g(E', \langle K_l \rangle) + g(E', \langle K_h \rangle)]$$

- Where

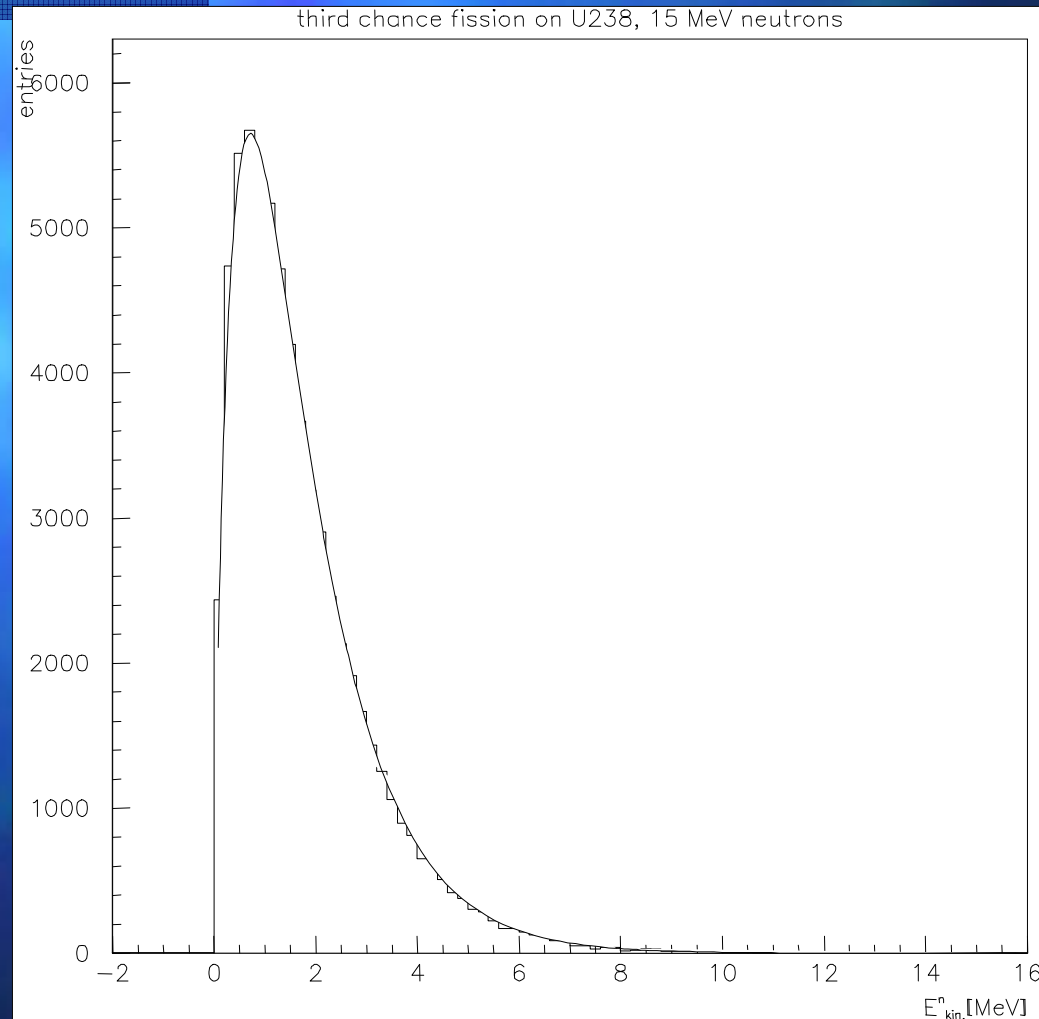
$$g(E', \langle K \rangle) = \frac{1}{3\sqrt{\langle K \rangle \Theta}} [u_2^{3/2} E_1(u_2) - u_1^{3/2} E_1(u_1) + \gamma(3/2, u_2) - \gamma(3/2, u_1)]$$

- $E_1$  is the exponential integral, and

$$u_1(E', \langle K \rangle) = \frac{(\sqrt{E'} - \sqrt{\langle K \rangle})^2}{\Theta}$$

$$u_2(E', \langle K \rangle) = \frac{(\sqrt{E'} + \sqrt{\langle K \rangle})^2}{\Theta}$$

# *Fission simulation*





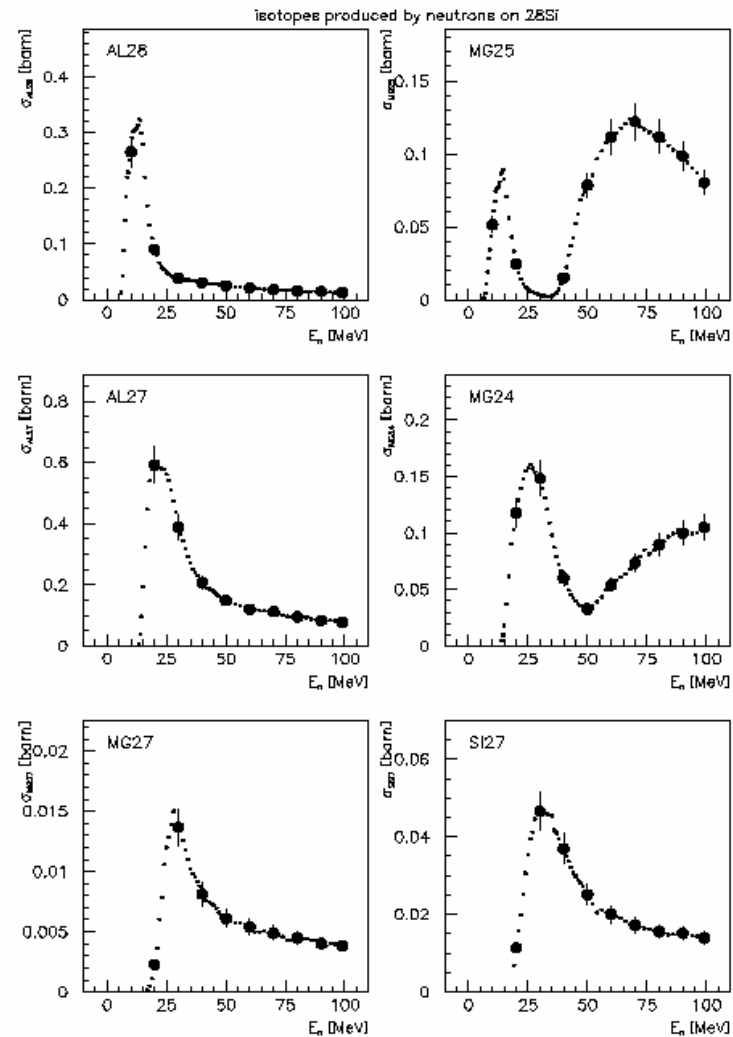
# *Inelastic scattering*

- The following channels are currently included:

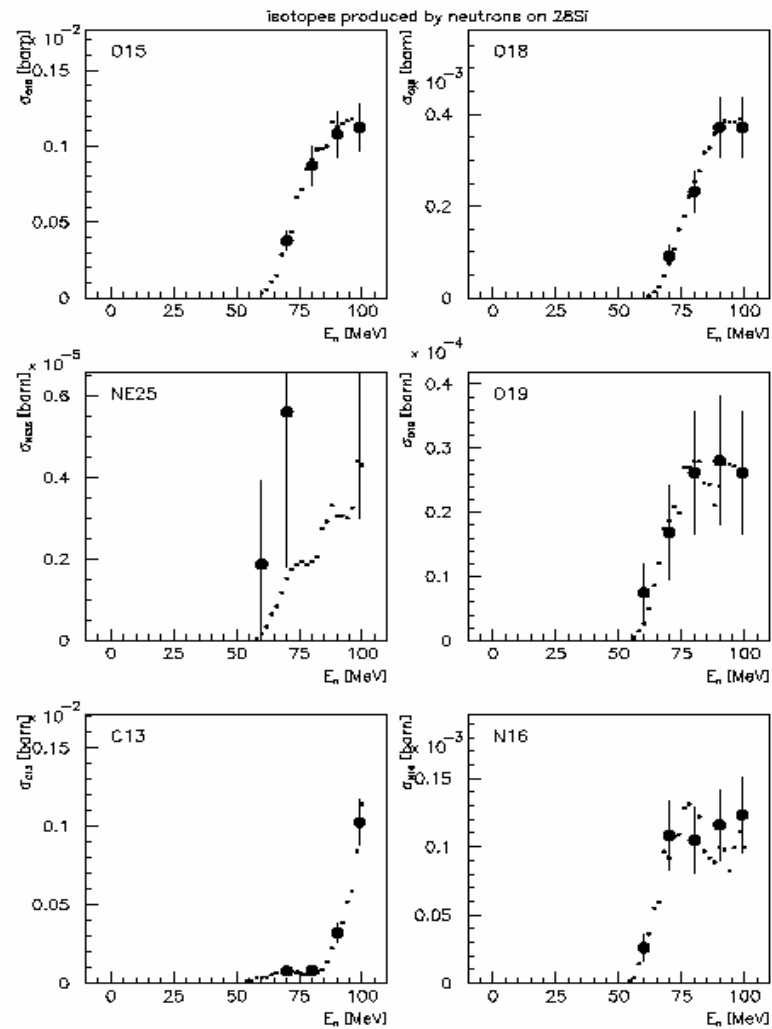
$n'(\gamma)$ ,  $np$ ,  $nd$ ,  $nt$ ,  $n^3\text{He}$ ,  $n\alpha$ ,  $nd2\alpha$ ,  $nt2\alpha$ ,  $n2p$ ,  $n2\alpha$ ,  $np\alpha$ ,  $n3\alpha$ ,  $2n$ ,  $2np$ ,  $2nd$ ,  $2n\alpha$ ,  $2n2\alpha$ ,  $nX$ ,  $3n$ ,  $3np$ ,  $3n\alpha$ ,  $4n$ ,  $p$ ,  $pd$ ,  $p\alpha$ ,  $2p$ ,  $d$ ,  $d\alpha$ ,  $d2\alpha$ ,  $dt$ ,  $t$ ,  $t2\alpha$ ,  $^3\text{He}$ ,  $\alpha$ ,  $2\alpha$ , and  $3\alpha$ .

- Photons that may be associated to the individual channels are described as in the case of capture.

# Neutron induced isotope production



# Isotope production



# *Summary*

---

- I have provided a neutron code suitable for a wide range of neutron transport problems.
- Future improvements will focus on details of the thermal scattering law, and the unresolved resonance region.